

# Global Extrema and Optimization

## Math 102 Section 107

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# Warmup - from WeBWork

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Q2. The *global maximum* of  $f(x)$  on the interval  $[1, 3]$  occurs at  $x =$

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Q4. The *global minimum* occurs at  $x =$

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